

## Summary

The entropy balance of an *open system* is given as:

$$\underbrace{\dot{S}_{in} - \dot{S}_{out}}_{\substack{\text{Rate of net entropy} \\ \text{transfer by heat and mass}}} + \dot{S}_{gen} = \Delta \dot{S}_{system}$$

$$\sum \frac{\dot{Q}_k}{T_k} + \sum \dot{m}_{in} s_{in} - \sum \dot{m}_{out} s_{out} + \dot{S}_{gen} = \frac{dS_{syst}}{dt}$$

$T_k$  in the heat transfer term can correspond to the temperature of the system (fluid) or the temperature of the thermal energy reservoir (TER). The choice of temperature influence the meaning of  $\dot{S}_{gen}$ :

$T_k = T_{fluid} \Rightarrow \dot{S}_{gen}$  represents the entropy generation *within the system*

$T_k = T_{TER} \Rightarrow \dot{S}_{gen}$  represents the entropy generation *for the process*

For an *ideal gas* with constant specific heats:

$$h_2 - h_1 = c_p (T_2 - T_1)$$

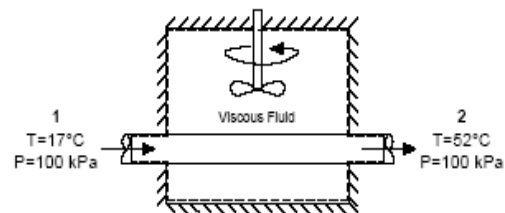
$$s_2 - s_1 = c_{p,avg} \ln\left(\frac{T_2}{T_1}\right) - R \ln\left(\frac{P_2}{P_1}\right) \quad s_2 - s_1 = c_{v,avg} \ln\left(\frac{T_2}{T_1}\right) + R \ln\left(\frac{v_2}{v_1}\right)$$

$$s_2 - s_1 = c_{v,avg} \ln\left(\frac{P_2}{P_1}\right) + c_{p,avg} \ln\left(\frac{v_2}{v_1}\right)$$

## Question

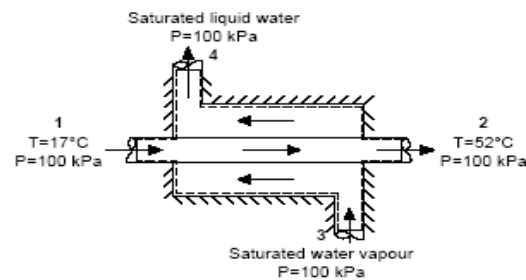
Two alternative systems are under consideration for bringing a stream of air from 17°C to 52°C at an essentially constant pressure of 100 kPa. For each of the two systems, calculate the rate of entropy production, in kJ/k per kg of air through the system.

*System 1:* The air temperature is increased as a consequence of the stirring of a liquid surrounding the line carrying the air



**System 1**

*System 2:* The air temperature is increased by passing it through one side of a counter-flow heat exchanger. On the other side, steam condenses at a pressure of 100 kPa from a saturated vapour to a saturated liquid. Both systems operate under steady conditions and are sufficiently insulated to prevent significant heat transfer with the surroundings.



**System 2**